Carbon monoxide: a critical quantitative analysis and review of the extent and limitations of its second messenger function

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Abstract: Endogenously produced carbon monoxide (CO) is commonly believed to be a ubiquitous second messenger involved in a wide range of physiological and pathological responses. The major evidence supporting this concept is that CO is produced endogenously via heme oxygenase-catalyzed breakdown of heme and that experimental exposure to CO alters tissue function. However, it remains to be conclusively demonstrated that there are specific receptors for CO and that endogenous CO production is sufficient to alter tissue function. Unlike other signaling molecules, CO is not significantly metabolized, and it is removed from cells solely via rapid diffusion into blood, which serves as a near infinite sink. This non-metabolizable nature of CO renders the physiology of this gas uniquely susceptible to quantitative modeling. This review analyzes each of the steps involved in CO signaling: 1) the background CO partial pressure ($P_{CO}$) and the blood and tissue CO binding; 2) the affinity of the putative CO receptors; 3) the rate of endogenous tissue CO production; and 4) the tissue $P_{CO}$ that results from the balance between this endogenous CO production and diffusion to the blood sink. Because existing data demonstrate that virtually all endogenous CO production results from the routine “housekeeping” turnover of heme, only a small fraction can play a signaling role. The novel aspect of the present report is to demonstrate via physiological modeling that this small fraction of CO production is seemingly insufficient to raise intracellular $P_{CO}$ to the levels required for the conventional, specific messenger receptor activation. It is concluded that the many physiological alterations observed with exogenous CO administration are probably produced by the non-specific CO inhibition of cytochrome C oxidase activity, with release of reactive oxygen species (ROS) and that this ROS signaling pathway is a potential effector mechanism for endogenously produced CO.

Keywords: cytochrome, oxygenase, Krogh cylinder model, ROS, heme

Introduction

Scientific appreciation of the physiological implications of carbon monoxide (CO) has evolved from its recognition as an environmental toxin in 1857,1 to demonstration of its derivation from heme catabolism in 1952,2 to its present important status as an intracellular messenger that regulates hundreds of physiological and cytoprotective functions. CO is produced in animals exclusively by heme oxygenase (HO) catalysis of heme to biliverdin:3

$$\text{Heme} + 3\text{O}_2 + 3.5\text{NADPH} + 3.5\text{H}^+ \xrightarrow{\text{HO}} \text{CO} + \text{biliverdin} + \text{Fe}^{2+} + 3.5\text{NADP}^+ + 3\text{H}_2\text{O}$$ (1)
In mammals, there are two forms of HO: an inducible form, HO-1 (also known as heat-shock protein 32), and a constitutive form, HO-2. A wide variety of stimuli induce HO-1, including oxidative stress, heat shock, ischemia, radiation, hypoxia, hyperoxia, and drugs. This amazing responsiveness to nearly every known cell-modifying signal has focused attention on the potential importance of HO in a wide range of clinical conditions. It is important to recognize that alterations in HO do not necessarily implicate CO as the HO effector, since HO has three other functions: removal of heme, release of Fe²⁺, and production of the anti-oxidant biliverdin from biliverdin, all of which are important cellular responses to stress and cell death. However, it is widely assumed that the primary effect of HO induction is the modification of cell function via production of CO, which serves as a second messenger. The focus of this review will be on the unique physiology required for CO to serve as the second messenger mediator of HO activity – a function invoked as a factor in a wide variety of clinical conditions. For example, a recent review of just the central nervous system conditions in which CO is implicated include Alzheimer’s disease, Parkinson’s disease, multiple sclerosis, cerebral artery occlusion, and pain.

The CO messenger literature is enormous, involving nearly every organ and regulatory system. There are a number of excellent recent reviews of this topic, each review having a particular focus and emphasis. Seemingly lacking in these discussions is a critical examination of the unusual features of CO that complicate the ability of this gas to serve as a typical intracellular messenger. Most signaling molecules are produced solely for a signaling purpose and are then rapidly catabolized (eg, nitric oxide has a half-time of less than 2 seconds), and the background intracellular activity of the signaling molecule is maintained at a very low level. In contrast, there is minimal catabolism of CO, and endogenously produced CO is removed from the cell entirely via diffusion to the blood, where it is avidly bound by hemoglobin (Hb). Homeostasis of blood CO is established by pulmonary excretion, a relatively slow process with a half-time of approximately 4 hours (as discussed in the “Hb and Mb CO binding and pharmacokinetics” section). Thus, cells float in a sea of the messenger, which maintains a low, but not negligible-free CO concentration in the cell equal to that of blood, about 0.002 µM, or a CO partial pressure (P_CO) of 0.0019 mmHg under normal conditions (Table 1). To provide a signal, CO has to be produced at a rate that appreciably raises the CO concentration over the basal level, ruling out the possibility that trivial CO production could serve as a messenger.

The lack of catabolism of CO, its removal from the cell by diffusion to the blood, and its excretion solely via the lungs makes CO uniquely amenable to quantitative physiological modeling. For example, in contrast to other messengers, the total body production of CO is easily assessed (via breath measurements), and the intracellular P_CO at baseline and following CO administration both can be determined, since intracellular P_CO is in equilibrium with the blood P_CO. Most important, the diffusion of CO between the cell and blood can be quantitatively modeled, making it possible to estimate the intracellular production rate required to maintain a given cellular P_CO. In Table 1, we have summarized the fundamental physical chemical CO parameters (eg, solubility, diffusion coefficient) and the range of CO concentrations required for different biological effects.

The fundamental (but rarely stated) hypothesis of CO signaling is that local tissue CO production raises the local

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**Table 1 Physiological CO parameters (at 37°C)**

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
<th>Ref</th>
<th>Comments</th>
</tr>
</thead>
<tbody>
<tr>
<td>Aqueous solubility (α)</td>
<td>0.024</td>
<td>68</td>
<td>At 37°C</td>
</tr>
<tr>
<td>µL STP/liter/mmHg</td>
<td>1.1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Aqueous diffusion coefficient (D)</td>
<td></td>
<td></td>
<td>Interpolate between 30°C and 40°C</td>
</tr>
<tr>
<td>cm²/s</td>
<td>3.26×10⁻⁴</td>
<td>108</td>
<td></td>
</tr>
<tr>
<td>Aqueous diffusivity (Kw = α D)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>mmol/cm/mm Hg/s</td>
<td>3.58×10⁻⁵</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Tissue CO diffusivity (K)</td>
<td></td>
<td></td>
<td>From K for O₂ divided by 1.32</td>
</tr>
<tr>
<td>mmol/cm/mm Hg/s</td>
<td>1.77×10⁻⁵</td>
<td>109</td>
<td></td>
</tr>
<tr>
<td>CO/O₂ relative affinity (M)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Hemoglobin</td>
<td>220</td>
<td>14</td>
<td></td>
</tr>
<tr>
<td>Myoglobin</td>
<td>39</td>
<td>14</td>
<td></td>
</tr>
<tr>
<td>Cytochrome C oxidase</td>
<td>2.5</td>
<td>29</td>
<td></td>
</tr>
<tr>
<td>Blood CO concentration</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>% Carboxyhemoglobin</td>
<td>0.8</td>
<td>18</td>
<td>Normal human</td>
</tr>
<tr>
<td>P_CO (mmHg)</td>
<td>0.0019</td>
<td></td>
<td>Estimated from M for hemoglobin</td>
</tr>
<tr>
<td>End alveolar P_CO (mmHg)</td>
<td>0.0018</td>
<td>17</td>
<td></td>
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<tr>
<td>Free concentration (µM)</td>
<td>0.002</td>
<td></td>
<td>Estimated from P_CO and α</td>
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<tr>
<td>P_CO for biological effect (mmHg)</td>
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<td></td>
<td></td>
</tr>
<tr>
<td>Superoxide dismutase synthesis</td>
<td>0.0076</td>
<td>42</td>
<td>1 h exposure</td>
</tr>
<tr>
<td>ROS-related cell death</td>
<td>0.076</td>
<td>42</td>
<td>1 h exposure</td>
</tr>
<tr>
<td>Piglet pial arteriolar dilation</td>
<td>0.09</td>
<td>60</td>
<td></td>
</tr>
<tr>
<td>Rat tail artery dilation</td>
<td>10</td>
<td>62</td>
<td></td>
</tr>
</tbody>
</table>

**Abbreviations:** STP, standard temperature and pressure; ref, reference; ROS, reactive oxygen species; P_CO, CO partial pressure; h, hour.
cellular concentration to a level sufficiently above the background concentration to trigger the signaling, which is then terminated when the tissue production ceases and the CO diffuses to the blood sink. The crucial issue is whether the rate of tissue production is sufficient to reach signaling levels, given the rapid rate of diffusion between cells and the blood. In order to answer this question, the following items require careful consideration: 1) the background blood and tissue CO; 2) the CO affinity of the putative tissue CO signaling receptors; 3) the rate of endogenous tissue CO production; and 4) a quantitative analysis of the tissue CO concentration that is reached as a result of this CO production in the presence of the nearly infinite diffusion sink represented by the blood. This review will present what we believe to be the first detailed, quantitative discussions of each of these issues.

The “Hb and Mb CO binding and pharmacokinetics” section reviews the quantitative details of the binding of CO to Hb and myoglobin (Mb) and the pharmacokinetics of CO production, distribution, and excretion. This binding determines the steady state background CO concentration and the time dependence of its change when CO is exogenously administered.

Two fundamentally different receptor mechanisms have been proposed for CO second messenger signaling. The first, discussed in the “COX binding and ROS formation” section, is the CO binding to and inhibition of cellular cytochrome C oxidase (COX), a reaction which releases reactive oxygen species (ROS) that serve as a relatively non-specific effector. This type of “signaling” is unique to CO and raises the question of whether it is actually a physiological mechanism versus a non-specific toxic CO action. This issue is particularly important, because most recent research concerning the mode of action of inhaled CO invokes the mechanism of ROS formation secondary to COX inhibition. The second signaling mechanism is the classic second messenger type involving binding to a specific CO receptor which then triggers a unique cellular response. The “Specific CO sensors or receptors’” section reviews the CO receptors that have been proposed, their affinity for CO, and the evidence supporting their second messenger function.

The “HO activity, heme substrate concentration, and the endogenous rate of CO tissue production” section reviews available information about the rate of endogenous tissue CO production that might serve a messenger function. There have been only a few, inexact measurements of this critical factor that determines the tissue CO concentration. In this review, it will be stressed that the vast majority of the total CO produced in the body results from the routine turnover of Hb and other tissue (eg, hepatic) hemes; only a very small fraction of the total CO endogenous production possibly could be designed to serve a specific CO signaling function.

The “Quantitative modeling of the steady state and time-dependent tissue CO in the presence of the blood sink” section describes a quantitative model of the steady state and time-dependent tissue CO concentrations that result from the balance between the endogenous tissue CO production and the rate of diffusion to the blood sink. This calculation is designed to mimic the physiological effect of local tissue HO activity. Although the model is a crude approximation of the complicated tissue–blood interaction, it provides the first analysis of the basic requirements necessary for a CO signaling mechanism, in particular, the large rates of local endogenous CO production required for signaling.

Finally, the “Discussion: does HO function via its release of CO?” section summarizes the results of this analysis and their implications for interpreting the function and importance of CO signaling. This analysis places limits on the possible second messenger role of CO and raises questions about the validity of some conventionally accepted views of CO signaling.

Hb and Mb CO binding and pharmacokinetics

Table 1 lists the important quantitative CO parameters that will be used in this review. The aqueous solubility (\(\alpha\)) allows one to convert from the partial pressure in the gas phase (P) to the molar free concentration (c) in the solution with which the gas is in equilibrium:

\[
c = \alpha P
\]

The biologically important concentration of CO that drives reactions, receptor binding, or diffusion is \(c\), the free (unbound) concentration of CO that is dissolved in the tissue fluid or plasma. The free concentration of CO is not directly measured, but rather the \(P_{CO}\) is determined and is then used to calculate the free concentration via use of the solubility coefficient. Using an \(\alpha=1.1\ \mu\text{mol/L/mmHg}\) (Table 1), a 1 \(\mu\text{M}\) free solution CO concentration corresponds to a 0.9 mmHg (or 1,188 parts per million [ppm]) partial gas pressure.

The concept that CO serves a signaling function is largely derived from the observation that tissue function is altered by in vitro or in vivo exposure to CO. Such alterations could reflect a specific messenger function or a non-specific toxicity of this gas. To differentiate between these two possibilities, it
is necessary to know the concentration of free CO that exists in tissue at baseline and following CO administration, values that are dependent on CO–O₂ binding competition in Hb and tissue heme proteins. Classical CO toxicity is mediated via binding to Hb, with a resultant decreased O₂ delivery to the tissues. This binding is quantitated by the fraction of CO-bound Hb (HbCO). Since standard whole-animal experimental CO administration is usually achieved via a short-period CO inhalation, it is important to understand the time dependence of the change in HbCO during and following this CO exposure, and its effect on tissue O₂ delivery. In addition, since CO and O₂ compete for COX binding, a decreased tissue oxygen partial pressure (PₐO₂) results in an increased CO–COX binding. The following analysis presents a detailed description of the complex non-linear relationship between HbCO versus PₐCO and PₐO₂. When analyzing this relationship, it is crucial to recognize that CO and O₂ are competing for the same heme binding sites.

ForMb, where there is just one binding site and no significant cooperative binding (Hill coefficient =1), the equation for the fraction CO (MbCO) and O₂ (MbO₂) bound has the following standard competitive binding form:¹⁴

\[
MbCO = \frac{P_{CO}}{P_{O2}/M_{Mb} + P_{CO} + (P_{SO2})_{CO}}
\]

\[
MbO₂ = \frac{(pO₂/M_{Mb})}{P_{O2}/M_{Mb} + P_{CO} + (P_{SO2})_{CO}}
\]

The binding is characterized by the two parameters, (PₐSO2)ₐCO, the partial pressure for 50% binding of CO in the absence of O₂, and MₚₐCO, which is the affinity of CO relative to O₂:

\[
M_{Mb} = \frac{MbCO/MbO₂}{P_{CO}/P_{O₂}}
\]

The corresponding (PₐSO2)CO is MₚₐCO × (PₐSO2)O₂. In the following calculations, values of (PₐSO2)CO = 0.07 mmHg and MₚₐCO =39 will be used (Table 1).¹⁴

ForHb, where there is cooperative binding between the four heme sites, the fraction of CO (HbCO) and O₂ (HbO₂) bound can be approximately described by a variant of the Adair equation:¹⁴

\[
HbCO = (M_{Hb}P_{CO}/z) \frac{A_z + 2A_z^2 + 3A_z^3 + 4A_z^4}{[1 + A_z + A_z^2 + A_z^3 + A_z^4]} \]

\[
HbO₂ = (P_{O₂}/z) \frac{A_z + 2A_z^2 + 3A_z^3 + 4A_z^4}{[1 + A_z + A_z^2 + A_z^3 + A_z^4]} \]

where \(z = P_{O₂} + M_{Hb}P_{CO}\) and \(M_{Hb}\) is the affinity of the heme subunit for CO relative to O₂ and is defined by the Haldane relationship:

\[
M_{Hb} = \frac{HbCO/HbO₂}{P_{CO}/P_{O₂}} \]

This equation assumes that CO and O₂ compete for each of the four heme sites with the same relative affinity for MₚₐCO and that the cooperativity of binding is identical for O₂ and CO. The following set of parameters will be used here:¹⁵,¹⁶ MₚₐCO =220; A₁ =0.0218; A₂ =0.000912; A₃ =3.75×10⁻⁶; and A₄ =2.47×10⁻⁴.

Although Equation 5 is not precise because the cooperativity of CO differs slightly from that of O₂ and the Adair equation is not exact, even for pure oxygen,¹⁵,¹⁶ it is a quite good approximation and will be used in the following calculations to illustrate the physiologically important interactions between PₐSO2 CO and the fraction of Hb that is occupied by CO (HbCO) in human blood. Figure 1 shows a plot of Equations 3 and 5 for HbCO (red lines) and MbCO (black lines) as a function of the PₐCO for PₐO₂ value of 95 (solid line), 50 (long-dashed line), and 20 mmHg (dot-dashed line). The competition between CO and O₂ implies

![Figure 1: Plot of fraction of hemoglobin (red lines) and myoglobin (black lines) that is occupied by CO as a function of PₐCO for a fixed PₐO₂ of 95 mmHg (solid lines), 50 mmHg (long-dashed lines), and 20 mmHg (dot-dashed lines). The black, horizontal dashed line indicates that for a fixed HbCO fraction of 0.2, the equilibrium PₐCO is 0.112 mmHg for a PₐO₂ of 95 mmHg, and decreases to a PₐCO of 0.047 mmHg when the PₐO₂ decreases to 20 mmHg. Abbreviations: PₐO₂, O₂ partial pressure; Hb, hemoglobin; HbCO, CO-bound Hb; PₐCO, CO partial pressure.](image-url)
that, in the steady state, the \( P_{CO} \) in the capillary (eg, tissue) is significantly less than the arterial \( P_{CO} \) because the lower capillary \( P_{O_2} \) leads to a greater HbCO affinity. Since the body is a closed system with most of the CO bound to Hb (see discussion of equation 10), the value of HbCO remains relatively constant as the blood moves from the artery to the capillaries. As illustrated in Figure 1, for a fixed HbCO of 0.2 (horizontal dashed line), as the \( P_{O_2} \) decreases from 95 (artery) to 20 (vein) mmHg, the \( P_{CO} \) falls from 0.112 to 0.047 mmHg.

Figure 2A shows the \( O_2 \) Hb saturation (HbO\(_2\)) as a function of \( P_{O_2} \) in the presence of a \( P_{CO} \) of 0, 0.1, 0.2, and 0.5 mmHg, as determined by Equation 5. The presence of CO not only reduces the value of HbO\(_2\), CO also changes the shape of the \( O_2 \) dissociation curve, shifting it to the left. This shift is seen more clearly in Figure 2B, where the \( O_2 \) saturation relative to the maximal \( O_2 \) saturation at \( P_{O_2} \)=100 mmHg is plotted, instead of the absolute saturation, which is plotted in Figure 2A. The \( P_{O_2} \) for 50% of maximum binding falls from a normal value of 26 mmHg in the absence of CO to 12.6 mmHg for a \( P_{CO} \) of 0.5 mmHg. Thus, CO produces tissue anoxia not simply by displacing \( O_2 \) from Hb but also because the tissue \( O_2 \) must fall to lower values in order to release the \( O_2 \) that has not been displaced.

A critical concept central to this review is that the blood, which serves as a CO sink for all tissues, normally maintains a very low \( P_{CO} \). Venous blood \( P_{CO} \) in humans can be estimated from the normal venous HbCO value of 0.8% and by applying Equation 6 to venous blood (\( P_{O_2} \)=40 mmHg; HbO\(_2\)=0.75 mmHg; \( M_{Hb} \)=220 mmHg):

\[
P_{CO} = \frac{P_{O_2} \times HbCO}{M_{Hb} \times HbO_2} = \frac{40 \times 0.008}{220 \times 0.74} = 0.0019 \text{mmHg} \tag{7}
\]

Probably the best direct experimental measurement of human blood \( P_{CO} \) is the breath holding end alveolar \( P_{CO} \) value of 2.44 ppm (0.0018 mmHg) obtained by Furne et al.\(^{17}\) This value should be close to equilibrium with the average pulmonary capillary blood. These values are summarized in Table 1.

The classical approach to administering CO in experimental studies is via inspired air. To extrapolate from alterations in cell function observed in such studies to potential signaling mechanisms induced by endogenous CO production, it is necessary to know the cellular \( P_{CO} \) that results from CO inhalation. Although the time-dependent pharmacokinetics are complicated, with a CO pulmonary diffusion limitation and varying rates of distribution to the different organs and tissues, a surprisingly simple expression derived by Coburn et al\(^{18}\) provides a good approximation. The long-time steady state (HbCO)\(_{ss}\) can be obtained by application of the Haldane relation (Equation 6) to the pulmonary capillary blood:

\[
(HbCO)_{ss} = M_{Hb} \times HbO_2 \times IC_{CO} / A_{O_2} \tag{8}
\]

where \( IC_{CO} \) is the inspired alveolar \( P_{COP} \), \( A_{O_2} \) is the average pulmonary capillary \( P_{O_2} \), and HbO\(_2\) is the average pulmonary capillary HbO\(_2\) saturation. Using the approximate relations

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**Figure 2** Fractional saturation of hemoglobin occupied by \( O_2 \) as a function of the \( P_{CO} \) for \( P_{CO} \) fixed at 0 mmHg (black line), 0.1 mmHg (red line), 0.2 mmHg (blue line), and 0.5 mmHg (green line). In (A), the absolute \( O_2 \) saturation of the total hemoglobin is plotted, while in (B), the fraction saturated with \( O_2 \) relative to the maximum \( O_2 \) saturation at \( P_{CO} \)=100 mmHg is plotted.

**Abbreviations:** \( P_{CO} \), \( O_2 \) partial pressure; \( P_{COP} \), CO partial pressure.
that HbCO + HbO2 = 1 and $A_{O2} = 100$ mmHg for breathing room air:

$$(HbCO)_{ss} = M_{Hb}I_{CO} / (100 + M_{Hb}I_{CO}) \quad (9)$$

That is, the steady state HbCO for an arbitrary value of inspired alveolar $P_{CO}$ (also known as $I_{CO}$) can be estimated simply from the value of $M_{Hb} = 220$. This represents the contribution from exogenous inspired CO. The total blood HbCO is the sum of this term plus the baseline endogenous HbCO. The time-dependent change in blood HbCO in response to inhaled CO (neglecting the endogenous CO production) is well approximated by a single exponential, based on the assumption that the total body CO volume of distribution can be represented by a well-mixed blood volume ($V_b$).  

$$HbCO = (HbCO)_{ss} (1 - e^{-t/T})$$  

$$T = M_{Hb} V_b [HbO2] \left( \frac{1}{D_L} + \frac{P_{Atm}}{V_A} \right) / A_{O2} \quad (10)$$

where $D_L$ is the CO lung diffusivity, $P_{Atm}$ is the atmospheric pressure corrected for vapor pressure of water (713 mmHg), $V_A$ is alveolar ventilation, $V_b$ is the effective blood volume, and [HbO2] is the average pulmonary capillary blood O2 concentration in mL STP/mL blood. Equations 9 and 10 provide good fits to the time-dependent experimental data in humans for inhaled CO ranging from 25 ppm (0.019 mmHg) to 500 ppm (0.38 mmHg), assuming that [HbO2] = 0.2 and $A_{O2} = 100$ mmHg. The major simplifying assumption of this model is that the total body CO volume of distribution can be represented by an “equivalent” $V_b$. This explanation is a good approximation, because the vast majority of the total body CO binding is provided by Hb, eg, in humans there is roughly 800 g Hb, versus only 34.7 g Mb and much lower concentrations of other cellular hemes (eg, 0.78 g COX). Since Hb has the highest CO affinity (Table 1 and Figure 1), at least 94% of the total body CO is in the blood. A second assumption is that [HbO2] is constant during the entire CO inhalation time course. This is clearly incorrect if the CO concentration is high enough to saturate a significant fraction of Hb. Bruce and Bruce have described a much more detailed, multi-compartment, physiologically based pharmacokinetic model that, presumably, is more accurate. However, the experimental data are probably not good enough to distinguish them from the simple model described above.

From Equation 10, the time constant $T$ for humans ($D_L = 30$ mL/min/mmHg; $V_b = 5.5$ L; and $V_A = 6$ L/min) is about 360 minutes, which is in good agreement with experimental data.  

It is of interest to see how this time constant scales for different animals, in particular the rat and mouse, which are the commonly used experimental models. Neglecting the 1/$D_L$ term (assume lung diffusion is infinite), which is only 30% of the $P_{Atm}/V_A$ term, the $T$ for animal $x$ relative to the human is given by:

$$T_x/T_{human} = \left( \frac{V_A}{V_A^{human}} \right)$$  

Using values for the rat ($V_b = 0.07$ g/g, $V_A = 0.39$ mL/min/g) and the mouse ($V_b = 0.09$ g/g, $V_A = 0.81$ mL/min/g), and (assuming dead space is 33% of tidal volume), the CO time constant is 70 minutes and 43 minutes for the rat and mouse, respectively. This value for the rat is in rough agreement with direct experimental measurements. A common experimental model is to expose mice to 250 ppm CO for a period of 1 hour, and from the above estimate of $T$, at the end of the hour, mice should have reached 75% of their steady state value.

**COX binding and ROS formation**

Although there are hundreds of heme proteins that could potentially be modified by CO, the only major proteins with well-characterized, relatively high affinity CO binding are Hb, Mb, cytochrome P450, and COX (refer to the “Specific CO sensors or receptors” section for a further discussion of other possible minor CO binding proteins). Of the four complexes in the electron transport chain, three of which contain heme proteins, only complex IV (otherwise known as COX) is significantly inhibited by low levels of CO. Historically, COX has been the major focus of studies of cellular CO toxicity. The quantitative aspects of the binding of CO to COX are of particular importance because this binding produces a non-specific asphyxiation of all cells. When investigating the actions of CO, it is essential to distinguish this general COX inhibition from the more directed, specific CO signaling mechanisms that are discussed in the “Specific CO sensors or receptors” section. This “toxicity” has recently taken on special importance because of a number of reports of alterations of physiological function induced by surprisingly low doses of CO (eg, 250 ppm for 1 hour, see Discussion section). These effects have been attributed to the formation of ROS produced by CO inhibition of COX, the last step in the electron transport chain, as opposed to an effect attributable to a conventional messenger function in which CO binds to a specific CO receptor.
As was the case for Hb and Mb, O₂ and CO are competing for the same binding site in COX. Using purified COX, Petersen showed that CO behaves as a classical competitive enzyme inhibitor of O₂ with the activity (V) characterized by the O₂ Kₘ and the CO inhibition constant (Kᵢ):

\[ V = \frac{Vₚ \cdot Pₐ}{Kₚ(1 + Pₐ / Kₚ) + Pₐ} = \frac{Vₚ \cdot Pₐ}{Mₖₚ \cdot Pₐ + Pₐ + (Pₐ / Kᵢ)} \]

(12)

The second equality is in the same form used to describe CO binding to Mb (Equation 3), with \( Pₐ / Kᵢ = Kₘ \) and \( Mₖₚ = Kₚ \). The fraction of COX inhibited by the addition of a given \( Pₐ \), is described by an equation similar to Equation 3, with \( Pₐ / Mₖₚ \) equal to the \( Kᵢ \) of CO:

\[ \text{CoxCO} = \frac{Pₐ}{Pₐ + Kᵢ + Pₐ / Mₖₚ} \]

(13)

It can be seen from Equation 13 that the fractional COX inhibition by CO is critically dependent on the \( Pₐ \) at the COX binding site. At high \( Pₐ \) and \( Pₐ \), the \( Kᵢ \) term in the denominator is negligible, and the fraction COX inhibition is characterized by \( Mₖₚ \).

The CO \( Kᵢ \) of COX is about 0.3 µM (or 0.27 mmHg). Directly measured CO binding to purified anaerobic COX using infrared spectroscopy and found a \( Kₐ \) of 0.3 µM, identical to the CO \( Kᵢ \), as is predicted for a simple competitive inhibitor. Wohlrab and Ogunmola found a similar \( Kₐ \) of 0.46 µM (or 0.42 mmHg) for CO binding to COX in intact liver mitochondria. The corresponding \( Kₘ \) (or \( Kᵢ \)) of mitochondria for O₂ is less certain and varies with the metabolic state, but is probably in the range of 0.1 to 0.8 µM. Petersen found a \( Kₘ \) for O₂ of 0.75 µM using the same purified COX enzyme assay used to determine the \( Kᵢ \) of CO. Using this value of \( Kₘ \), the value of \( Mₖₚ \) should be 0.75/0.3 or 2.5. These values of \( Kₘ \), \( Kᵢ \), and \( Mₖₚ \) will be used throughout this report.

This apparently high CO–COX affinity of 0.3 µM (or 0.027 mmHg; or 35 ppm) does not, at first, seem consistent with the classic observation that CO has relatively minor effects on the rate of O₂ consumption of whole organs. For example, Glabe et al. using isolated saline perfused rat hearts, measured the maximum O₂ consumption and cellular adenosine triphosphate (ATP) and phosphocreatine using proton nuclear magnetic resonance and found no significant change in any of these variables, even for a saline \( Pₐ \) as high as a 100 mmHg (with a saline \( Pₐ \) of 540 mmHg). Assuming that the \( Pₐ \) at the COX binding site is 100 mmHg for this perfusion \( Pₐ \) of 540 mmHg, and using Equation 13, one would predict that a \( Pₐ \) of 100 mmHg should produce about a 70% COX inhibition. However, this 70% COX inhibition would not be expected to have a major effect on organ oxidative metabolism because of the “branching” and “cushioning” phenomena originally described by Chance et al. Even though most of the COX is inhibited by CO, the remaining uninhibited COX can branch out and oxidize the neighboring CO-inhibited COX chains, leading to relatively normal ATP synthesis.

A major focus of recent CO signaling research is the formation of ROS secondary to COX inhibition by CO. Zuckerbraun et al. have shown that relatively low concentrations of CO (1 hour exposure to 250 ppm, or 0.19 mmHg) in a cell culture system produced a large increase in ROS formation, seemingly due to CO inhibition of COX. There is no evidence that other heme-containing enzymes that assist in the removal of ROS (eg, superoxide dismutase [SOD] or catalase) are inhibited by these CO concentrations. Normally, there is a small basal leak of ROS from the respiratory transport chain complexes I–III that feed into COX (complex IV), and this leak is markedly increased when COX is partially inhibited, presumably because of a blockade at the terminal step accompanying a buildup in the electron driving pressure. Nitric oxide (NO) also inhibits COX (in a somewhat different manner), but this inhibition is not thought to be a major NO signaling pathway, because NO–COX affinity is 50-fold less than the affinity of NO for guanylate cyclase.

Although ROS production historically has been regarded as a pathologic process, it recently has been proposed that ROS can serve as an important signaling mechanism. If so, CO-induced COX inhibition should be considered to be a physiological process, with the resultant ROS formation being the best validated CO second messenger system. As discussed, large increases in ROS generation can occur with minimal changes in overall respiration, thus providing the putative messenger in the absence of cell asphyxiation. The “specificity” of this ROS release presumably would be determined by the cellular systems that are modified by increased ROS exposure. ROS release is remarkably sensitive to low CO exposures. Thom et al. measured rates of cell death and the cellular levels of antioxidant enzymes such as SOD as a function of time after short exposures to CO in a cell culture system. Just a 1-hour exposure to 100 ppm CO (or 0.08 mmHg) resulted in a significantly increased ROS and an increase in cell death at 18 days. A 1-hour exposure to
10 ppm CO did not increase death rates, but was associated with a 3-fold increase in SOD levels, which were, presumably, a surrogate signal of increased ROS formation. This 10 ppm CO (0.008 mmHg) is only 4× the normal blood level and is commonly observed in smokers.43

The quantitative relationship between COX binding and ROS release is poorly understood. Not commonly considered is that competition between O₂ and CO for COX (Equation 13) makes this relationship strongly dependent on the P O₂ at the COX binding site. In the typical cell culture experiments in petri plates42 or 96-well tissue culture plates28, the effective cell P O₂ is poorly characterized. Peng and Palsson44 have shown that these tissue cultures at high cell density may become oxygen limited, ie, the P O₂ at the COX site may be close to 0 mmHg. Using the CO Kᵢ of 0.27 mmHg and Equation 13, the maximum possible COX–CO (ie, within the limit as P O₂ approaches 0 mmHg) is 2.7% for the 10 ppm CO (0.0076 mmHg) in the Thom et al42 experiment and 41% for the 250 ppm CO in the Zuckerbraun et al28 experiment. This last prediction is in good agreement with the 50% COX inhibition directly measured by Zuckerbraun et al28 at 250 ppm CO. Despite this 50% COX inhibition, Zuckerbraun et al28 found that there was no significant change in cellular ATP, consistent with the classic “branching” effect Chance et al57 described. If this quantitative analysis is correct, it indicates that very small fractional CO–COX binding (eg, 2.7%) can have significant physiological effects, presumably by producing a relatively large change in the rate of ROS production. It also implies that, specifically, it is important to consider the competing O₂ concentration when evaluating CO actions. For example, Zhang et al45 have shown that CO concentrations of only 15 ppm have a major anti-apoptotic effect on cultured cells that have undergone an anoxia–reoxygenation protocol, consistent with the prediction that CO–COX inhibition will be maximized in anoxic conditions.

Specific CO sensors or receptors
Initially, a second messenger role for CO was based on the concept that this gas interacted with specific receptors and thus might have a variety of specific actions (in contrast to the non-specific activity that seemingly would result from COX inhibition). However, there are surprisingly little data with regard to the identity or structure of such CO receptors. Initial enthusiasm for a messenger role for CO was based on the demonstration that exposure to this gas activated soluble guanylate cyclase (sGC), a heme-containing protein, resulting in production of cyclic guanosine monophosphate (analogous to the action of NO).46,47 This concept was based on the demonstration of the activation of whole cell K⁺ currents in corneal epithelial cells and jejunal smooth muscle, when equilibrated with a very high P CO of 7.6 mmHg.47,48 Subsequent observations showing that CO produced only a maximum 4.4-fold activation of purified sGC compared to the 130-fold activation with NO48 and that the sGC–CO affinity was low (with a Kₐ of about 10 µM49) raised serious doubts about sGC as a mediator of CO action.50 This sGC example is illustrative of a major limitation of many proposed specific CO second messenger actions. The observed responses to CO could simply be a non-specific reaction to the tissue asphyxiation that results from the massively superphysiological CO concentrations employed (eg, 7.6 mmHg in the sGC example, which is 4,000× the normal plasma CO).

The classical second messenger reacts with a receptor that provides specificity to the signaling. Given the extensive literature ascribing a messenger function for CO, there is a surprising paucity of data identifying the CO-specific receptors. The best understood CO-mediated regulatory protein is the bacterial transcription factor CO oxidation activator (CooA), whose structure and function have been characterized in great detail.51 This protein is a CO-sensitive transcription activator in the bacterium Rhodospirillum rubrum, which can live on CO in anaerobic conditions. The activation of CooA is specific for CO and does not occur with O₂, indicating that heme binding sites can be specific for CO sensing. The only reported homologous mammalian protein is involved in the neuronal circadian rhythm control system,52 and there is suggestive evidence that CO may have a role in the mammalian control of diurnal rhythm.53–55 The CooA affinity is relatively low, with a P 50 of 2.2 µM (or 2 mmHg),56 about 1,000× higher than the normal blood CO (Table 1), and, as discussed in detail in the “Quantitative modeling of the steady state and time-dependent tissue CO in the presence of the blood sink” section, it is unlikely that normal tissue concentrations can reach this level.

The best characterized mammalian high-affinity CO receptors are the large conductance Ca²⁺- and voltage-activated K⁺ channels (BK Ca), also referred to as Slo1 or MaxiK), which are expressed in almost every cell type and are involved in vasodilation, oxygen sensing, neuronal excitability, transmitter release, and multiple other functions.57 The strongest evidence that BK Ca channels are CO receptors is that they can be activated by 1 µM CO in excised cell membrane patches that are free of COX, and presumably, other regulatory heme proteins.58,59 The main experimental focus has been on the involvement of this regulatory system in the control of smooth muscle vascular resistance, reviewed...
in great detail by Leffler et al.\textsuperscript{31} The most sensitive tissue described to date is the piglet pial vessels, with applied concentrations as low as 0.1 µM (0.09 mmHg) producing a transient dilatation.\textsuperscript{60} Arterioles in adult pigs and in other mammals of all ages are appreciably less sensitive to CO.\textsuperscript{61} For example, the rat tail artery model requires CO concentrations of about 10 µM to produce a relaxation that is about 25% of the maximum CO-induced relaxation.\textsuperscript{62} The constitutive form of HO (HO-2) is expressed in high concentrations in central nervous system arterial endothelial cells and in their closely associated astrocytes,\textsuperscript{63} and the inducible form (HO-1) is highly expressed in peripheral vascular smooth muscle.\textsuperscript{65} The structural mechanism of the CO activation of BK\textsubscript{Ca} is not well understood, but seems to involve an interaction between BK\textsubscript{Ca} and cellular heme.\textsuperscript{58,64} A similar interaction of a calcium-activated potassium channel, heme, and CO has been described in a plant (pollen tube) system,\textsuperscript{65} suggesting that this CO regulatory mechanism may have an ancient lineage. Based on the above, it appears that tissue HO must raise the local tissue CO to at least 0.1 µM to activate arteriolar BK\textsubscript{Ca}. The physiology required for the generation of such a tissue concentration in the face of diffusion to blood is addressed quantitatively in the “Quantitative modeling of the steady state and time-dependent tissue CO in the presence of the blood sink” section.

Oxygen is a substrate for the HO reaction (Equation 1), and it has been suggested that HO is the carotid body O\textsubscript{2} receptor, with high O\textsubscript{2} increasing HO activity that then increases the rate of CO production, activating a BK\textsubscript{Ca} channel.\textsuperscript{66} One difficulty with this concept is that HO has a very high O\textsubscript{2} affinity, with a P\textsubscript{50} of 0.013 to 0.03 µM,\textsuperscript{47} corresponding to a P\textsubscript{O2} of 0.0094 to 0.022 mmHg (using an O\textsubscript{2} solubility of 1.38 µmol/L/mmHg\textsuperscript{48}), far below the O\textsubscript{2} solubility range of the carotid body. A further complication is that HO knockout mice apparently have normal carotid body oxygen sensing.\textsuperscript{69}

There is also suggestive evidence that the epithelial Na\textsuperscript{+} channel (ENaC) is a high-affinity CO receptor. The ENaC activity of excised membrane patches from mouse kidney cortical collecting duct cells is stimulated by the addition of soluble heme at a concentration similar to that in the intact cell, with a K\textsubscript{d} of 23 nM, and this heme activation is increased by the addition of CO at concentrations as low as 0.1 µM.\textsuperscript{70} In addition, O\textsubscript{2} is required to maintain the stimulatory effect of heme, suggesting that the CO production by membrane-associated HO is required for the heme–ENaC interaction and that this system might be another O\textsubscript{2} sensor.\textsuperscript{70} A potentially important clinical application of CO is based on the observation that inhalation of CO at concentrations of only 100 ppm (0.076 mmHg; 0.084 µM) provides protection against hypoxic lung injury.\textsuperscript{71} It has been proposed that ENaC is the receptor responsible for this protection,\textsuperscript{72} and Althaus et al\textsuperscript{72} demonstrated that ventilation of isolated rabbit lungs with 250 ppm CO (0.19 µM) decreased alveolar sodium absorption and fluid clearance. Although they also showed that CO inhibited the apical amiloride-sensitive current (presumably ENaC), this might be an indirect result of inhibiting COX, since it required very high concentrations (100 µM) of a CO-releasing molecule, CORM-3.\textsuperscript{73} Extrapolation from such studies to a messenger role for endogenously produced CO requires demonstration that locally produced CO raises the tissue CO concentration to levels comparable to those achieved with exogenous administration of CO.

Although CO has been proposed to be a regulator of many other ion channel types, including voltage-activated K\textsuperscript{+}, L-type Ca\textsuperscript{2+} channels, ligand-gated P2X receptors, and TREK1 P domain K\textsuperscript{+} channels, the evidence that these channels are specific CO receptors is much weaker.\textsuperscript{74} One limitation of many of these studies is that the exact CO concentration used has not been well-characterized, because the CO was administered as various forms of CO-releasing molecules (CORMs).\textsuperscript{75} These molecules release CO, either spontaneously or when exposed to light,\textsuperscript{76} in cell culture media or organ perfusion systems. The resulting CO concentration depends on the balance between the rate of CORM CO release and the rate of loss of CO to the environment, factors that are poorly characterized. Depending on the CORM molecule used and the environmental conditions (eg, pH), these agents release CO with half-times varying from a few minutes to hours.\textsuperscript{77} A conventional application is to use a CORM bathing concentration of 30 µM, which could produce a CO concentration ranging from 30 µM, if completely and rapidly released, down to much lower concentrations if released slowly. However, the final CO concentration is unlikely to be less than about 5 µM, a relatively high concentration that markedly inhibits COX. Consistent with this evidence, there is suggestive evidence that the CO activation of the L-type Ca\textsuperscript{2+} channel\textsuperscript{76} and the delayed rectifier Kv2.1 potassium channel\textsuperscript{17} are secondary to COX inhibition and the corresponding ROS production.

The binding of CO to several clotting factors (fibrinogen, plasmin, and α\textsubscript{2}-antiplasmin) results in increased rate of clot formation and stronger clots.\textsuperscript{78} It is thought that the CO interacts with these proteins via an associated heme.\textsuperscript{79-80} Since the CO concentrations required in in vitro assays are
very large (eg, 50 µM CORM\textsuperscript{80}), it is unlikely that this CO binding is physiologically significant.

**HO activity, heme substrate concentration, and the endogenous rate of CO tissue production**

As discussed in the “Specific CO sensors or receptors” section, the lowest $P_{CO}$ concentration shown to produce an observable specific second messenger effect in the most sensitive tissues (pig pial vessels) is about 0.09 mmHg (0.1 µM). Thus, the tissue CO concentration must be raised at least 50x (and in most systems 500x) higher than the usual blood concentration of 0.0019 µM (Table 1) to produce a physiological response. In other words, CO production by tissue HO must be sufficiently rapid to at least temporarily maintain a concentration of 0.1 µM in the presence of diffusion to the local blood sink. This section and Table 2 summarize the very limited available experimental data on the rates of the endogenous tissue CO production rates.

Whole animal measurements of CO production provide insight into the maximal possible rate of second messenger CO production. The first entry in Table 2 is the total rate of human CO production of about 0.27 nmol/g/h.\textsuperscript{81} Of this, about 75% is accounted for by red cell turnover, and another 10%–15% is produced by the liver (eg, cytochrome P\textsubscript{450} turnover).\textsuperscript{82} To this should be added the basal turnover of the rest of the body’s heme. For example, a 70 kg human has about 30 kg\textsuperscript{83} of muscle containing about 4.4 g Mb/kg muscle,\textsuperscript{84} or a total of 7.8 mmole of Mb. If this muscle Mb turns over just once/year it would release about 0.012 nmol/g/h, or another 5% of the total CO turnover. In addition, another 5%–10% of the total production could result from the turnover of muscle cytochrome. Thus, the routine “housekeeping” turnover of heme can readily account for the entire CO output of healthy subjects, and CO produced for signaling can only be a trivial fraction of the normal total production. For the purposes of discussion in this paper, we will assume that a maximum 7.5% of the total daily CO production, or about 0.02 nmol/g/h, could possibly be associated with specific CO second messenger signaling. This value, which is possibly an overestimate, will be referred to as the MaxCO rate (Table 2).

Endogenous tissue CO production is severely substrate limited. Tissue HO activity assayed in the presence of excess substrate (hematin) releases CO at a rate thousands of times greater than MaxCO (Table 2). Even a tissue with a relatively low HO activity, such as the heart, in the presence of unlimited substrate, produces CO at a rate that is 4,800× MaxCO. These tissue HO assays measure the total HO activity (HO-1 plus HO-2). Tissue HO activity is variable because HO-1 induction results in marked changes in the total activity, with 5-fold increases measured in whole liver\textsuperscript{85} and 10-fold increases seen in cell culture.\textsuperscript{86}

In theory, if the physiological endogenous tissue heme substrate concentration was known, HO enzyme activities could be used to predict endogenous CO production. However, since there is very little knowledge of what constitutes the heme source for signaling reactions, much less the effective concentration of this substrate, it is not possible to predict CO production from HO activity, and such information must be derived from direct measurements of tissue CO release.

There have been only a few direct experimental measurements of endogenous CO tissue production in the absence of additional heme substrate (summarized in Table 2). Since CO production is low under physiological conditions, virtually all non-heme-enriched studies have employed non-physiological conditions (eg, enrichment with glutamate) to enhance CO release. It can be seen from Table 2 that the reported local tissue production rates are from 400 to 170,000× greater than MaxCO. The non-physiological nature of some of these values is illustrated by the production rate reported for cerebellar

<table>
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<th>Table 2 Hemooxygenase activity and endogenous CO production rates</th>
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<td><strong>Average human</strong></td>
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<td>CO output</td>
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<td>Total daily output\textsuperscript{81}</td>
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<td>Aortic smooth muscle cells\textsuperscript{11}</td>
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<td>Olfactory receptor neurons\textsuperscript{49}</td>
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<td>Astrocytes\textsuperscript{12}</td>
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<td>Piglet cerebral vessel\textsuperscript{13}</td>
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<td>Cerebellar slices\textsuperscript{14}</td>
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Notes: \textsuperscript{a}Assume 0.1 g protein per g cell;\textsuperscript{15} \textsuperscript{b}Assume 0.05 g microsomes per g cell.\textsuperscript{16}

Abbreviations: Hb, hemoglobin; MaxCO, estimated maximum average human CO output rate available for messenger signaling, total CO output produced for CO messenger signaling.
slices (3,400 nmol/g cell/h). Just 6 g of this cerebellar tissue would generate CO at the same rate as does the total human body. Obviously, these measurements cannot represent the average CO production of these tissues and must correspond to some sort of stimulated condition, presumably initiated by the experimental tissue conditions.

The next section, the “Quantitative modeling of the steady state and time-dependent tissue CO in the presence of the blood sink” section, discusses the tissue P_{CO} produced by the endogenous tissue CO production. As a benchmark, the reported rate (M) of CO produced by piglet cerebral vessels (140 nmol/g cell/h; Table 2) will be assumed to be the best estimate of the maximum tissue M value. Since extrapolation of this rate to all cells in the body yields a value 7,000× greater than MaxCO, this putative messenger CO production rate must occur either in very limited tissue regions (eg, pial vessels) and/or for very short time periods. For example, just 10 g of tissue producing CO at this rate equals the maximum total human CO production rate available for signaling.

A neglected but important question is the nature of the heme substrate that supports this messenger CO production, a question that remains unresolved. Although a “free heme pool” has been proposed, there is no evidence to support this proposal. Liver and erythroid cells are known to have rapid rates of heme enzyme and Hb synthesis, respectively, and many of the details of the control of heme biosynthesis in these tissues are well understood. Although other tissues are thought not to possess extensive biochemical pathways dedicated to heme synthesis, this contention is not supported by measurements of messenger ribonucleic acid (mRNA) levels of 5-aminolevulinic acid synthase-1, which is thought to be the rate-limiting step in heme synthesis, with the brain, kidney, and heart having 5-aminolevulinic acid synthase-1 levels at about 40% of the liver. There seems to be no question that about 75% of the total human CO production (and correspondingly, heme production and breakdown) is due to red blood cell turnover, with most of the remaining CO production due to turnover of heme in the liver. The rates of endogenous CO production listed in Table 2 for maximally stimulated tissues, if correct, correspond to huge rates of heme turnover. For example, of the total human daily CO production of 19 µmole/70 kg/h, about 15% takes place in the liver, corresponding to a rate of liver CO production (or heme synthesis and breakdown) of about 1.9 nmol/g/h. This rate is only 1/10th to 1/100th of the rates listed in Table 2 for arteriolar or nerve cells. Although these rates might be present for only relatively short time periods, they would still require large amount of heme synthesis. For example, the major heme protein in smooth muscle is COX, with a maximal concentration of 30 nmol/g (smooth muscle has very low Mb concentrations). The reported pial arterial CO production of 140 nmol/g/h (Table 2) would require turnover of the entire heme COX content of the arteriole wall (two hemes per COX) every 25 minutes. Clearly, much more study of the details of the heme substrate utilized by HO is required for an understanding of the biochemistry of the CO signaling mechanism.

### Quantitative modeling of the steady state and time-dependent tissue CO in the presence of the blood sink

As discussed, the local CO concentration required for a biological effect, eg, in piglet pial arterioles, is at least 50× greater than the blood concentration. Although it is conventionally assumed that such high tissue concentrations can be achieved locally via HO-catalyzed release of CO, the quantitative requirements of this assumption have not been previously evaluated. In this section, a physical model of a tissue region bathed by the blood Hb sink will be presented.

Two different geometric arrangements will be considered. The first, representative of an arteriole or artery, consists of a cylindrical shell (the arteriolar wall) with a blood-perfused lumen. The second is representative of a solid tissue (eg, brain) penetrated by an array of capillaries. Although both of these models are idealized, they provide first-order estimates of the predicted local tissue CO concentration as a function of the rate of production of CO and the geometric diffusion distances between tissue and blood.

Figure 3 shows a diagram of the arteriolar model. It is assumed that CO is produced at a uniform rate M throughout the wall of the pial arteriole or the rat tail artery. The P_{CO} in the vascular lumen is fixed at P_{b}, the normal blood value. It is assumed that the outer wall of the vessel is impermeable to CO. This assumption actually leads to an overestimate of the true concentration in the wall, because there will be some diffusion through the outer wall toward more distant circulating blood. For pial vessels, there may be an additional CO production from the astrocytes that form a sheath around the arteriole. Since this sheath is only about 1 µm thick, it will be assumed that it can be simply added to the vessel wall thickness.

In the steady state, the P_{CO} in the vessel wall (P(r)) as a function of the radial distance (r) from the center of the vessel is described by the Krogh–Erlang equation (with a rate M of
CO production in place of the classically employed rate of oxygen consumption):\(^{95}\)

\[ P(r) = P_B + \frac{M}{2K} \left[ R^2 \ln \left( \frac{r}{a} \right) + \left( a^2 - r^2 \right) / 2 \right] \quad (14) \]

where \( P_B \) is the blood \( P_{CO} \), \( a \) is the radius of the blood lumen, and \( R \) is the outer radius of the arteriole (plus astrocyte for pial vessels), which is equal to \((a + T)\), where \( T \) is the wall thickness, and \( K \) is the Krogh diffusivity = \( \alpha D \), where \( D \) is the tissue CO diffusion coefficient and \( \alpha \) is the CO solubility (\( K = 1.77 \times 10^{-5} \) nmol/cm/mmHg/s; Table 1). The maximum tissue CO concentration \( P_{max} \) is at the outer vessel wall \((r = R)\):

\[ P_{max} = P_B + \frac{M}{2K} \left[ R^2 \ln \left( \frac{R}{a} \right) + \left( a^2 - R^2 \right) / 2 \right] \quad (15) \]

The pial arteriole radius \((R)\) is about 30 \( \mu \)m,\(^{60,67} \) and because the ratio of (arterial wall thickness)/\( R \) is about 0.2,\(^{96} \) \( T \) (including the 1 \( \mu \)m thick astrocyte) is about 7 \( \mu \)m, and \( a = 23 \mu \)m. It will be assumed that \( P_B \) is equal to the normal human blood value of 0.0019 mmHg (Table 1). Note that although most of the tissue CO is bound by tissue heme and is not free, this binding does not enter the steady state solution (Equation 14), because only the diffusion of the free CO, characterized by the \( P_{CO} \) needs to be considered.

Figure 4 shows a plot of Equation 14 of the pial arteriole tissue \( P_{CO} \) as a function of the radial distance from the inner wall of the vessel. (All calculations described here were performed using the Maple (Maplesoft\(^{60} \) plotting and equation solvers). The solid lines correspond to different values of \( M \), the rate of tissue CO production. It can be seen that for \( M = 280 \) nmol/g tissue/h (the black line; twice the reported maximal experimental value for pial vessels), the maximum tissue \( P_{CO} \) is only 0.0031 mmHg (63\% greater than the blood), 30-fold less than the minimum \( P_{CO} \) required for an observable biological effect (0.1 mmHg; Table 1). To raise tissue \( P_{CO} \) to the biologically effective value of 0.1 mmHg requires an \( M \) of 28,000 nanomole/g tissue/h (green line, Figure 4), 200-fold greater than the maximal observed rate of pial arteriole tissue CO production. To put this requisite CO production rate (28,000 nmol/g/h) into physiological perspective, just 1.5 g of tissue producing CO at this rate for 1 hour would yield 7.5\% of the total daily body CO production, which is the maximal estimate of the CO available for signaling in the entire human body. The above analysis indicates that the maximally observed rates of tissue CO production cannot raise the pial arteriole \( P_{CO} \) to the biologically effective value of 0.1 mmHg value required for dilation, raising the question of what the function of this well-characterized CO response mechanism is. One possibility is that this CO response mechanism is only important during pathological events.\(^{95} \)
conditions of low arterial perfusion, conditions when the blood would no longer function as an infinite sink. This is discussed in more detail in the concluding discussion (the “Discussion: does HO function via its release of CO?” section).

The value of the tissue $P_{\text{max}}$ (Equation 15) for a given rate of CO production increases as the thickness of the tissue-producing region and the distance the CO must diffuse to reach the blood sink increases. The relative thinness of the pial arteriole (plus astrocyte) wall (=7 μm) is the major factor constraining the ability of endogenous production to raise the tissue $P_{\text{CO}}$. The rat tail artery, another CO responsive experimental model, has a much thicker wall of about 117 μm, with a luminal radius of about 93 μm, and would be expected to have a much higher tissue $P_{\text{CO}}$ for a given endogenous production rate. (The walls of vessels of this size are apparently avascular. However, the lowest stimulatory CO concentration observed for these vessels is about 10 mmHg. Figure 5 shows the corresponding plot of tissue $P_{\text{CO}}$ for a rat tail artery with these dimensions. It can be seen that the tissue $P_{\text{CO}}$ is much greater than that of the pial arteriole (Figure 4) for the same values of $M$. The lowest production rate plotted in Figure 5 is 280 nmol/g/h (35× the 8 nmol/g/h production rate observed for cultured aortic muscle tissue), which yields a $P_{\text{max}}$ of less than 0.4 mmHg. As shown in Figure 5, the CO production rate would have to be on the order of 14,000 nmol/g/h to develop a CO concentration in excess of the 10 mmHg required for significant rat tail artery relaxation. Thus, even for this much thicker wall artery, the measured local rate of CO production is not sufficient to produce the 10 mmHg $P_{\text{CO}}$ values that are required for activation of the effector mechanism.

The above two cases of CO responsiveness in vessel walls are special cases that lend themselves to relatively straightforward modeling. In contrast, most of the putative signaling actions of CO are for solid tissues, such as the brain, which have much more complicated blood perfusion. As a first approximation, the tissue CO in the brain tissue can again be modeled using the Krogh cylinder model, based on the tissue cross-section shown in Figure 6. It is assumed that the capillaries have a symmetric hexagonal arrangement. Since the cylindrical surface represented by the dashed line in Figure 6 is equidistant between neighboring capillaries, there will be no diffusion of CO across this surface, and it can be assumed to be an impermeable barrier. Thus, the cross-hatched cylindrical region becomes mathematically identical to the arteriole wall (Figure 3), with a tissue radius $R$ equal to one-half the intercapillary distance, and a radius (a) equal to the capillary radius. In the following calculation, it will be assumed that $R = 50$ μm and $a = 3$ μm, and that the capillary blood acts as a sink, with a $P_{\text{CO}}$ equal to that of the blood ($P_{B}$). This value for $R$ is about twice the anatomical value and assumes that only every other capillary is perfused at rest. Figure 7 shows the corresponding plot of the Krogh cylinder tissue $P_{\text{CO}}$ as a function of the radial distance from the capillary wall for tissue production rates (M) of 22, 220, and 2,200 nmol/g/h. It can be seen that in order to reach a CO $P_{\text{max}}$ of 1 mmHg (eg, the concentration required for BK$_{Ca}$ channel activation) an M of about 2,200 nmol/g/h is required. This is 16× the maximal experimental pial artery $M$, and 220× the maximal M for astrocytes (Table 2), and 1 g of tissue producing CO at this rate would account for the total maximal rate of CO production potentially available for signaling purposes. Thus, it seems unlikely that endogenous tissue CO production could raise tissue $P_{\text{CO}}$ to 1 mmHg in the presence of a normal blood perfusion.

In contrast, to raise tissue CO $P_{\text{max}}$ (Equation 15) to the 10 ppm (0.0076 mmHg) required to produce a significant ROS signal (as described in the “COX binding and ROS formation” section) only requires an M of 13 nmol/g/h, roughly equal to the rate of CO tissue production of olfactory neurons or astrocytes (Table 2). This suggests that the control of ROS production is a realistic candidate for a CO signaling mechanism (as described in more detail in the “Discussion: does HO function via its release of CO?” section).

**Figure 5** Steady state $P_{\text{CO}}$ in wall of rat tail artery as a function of the radial distance from the blood surface for varying rates of tissue CO production (M) (black line =280, blue line =2,800, red line =14,000, and green line =28,000 nmol/g cell/h). Abbreviation: $P_{\text{CO}}$, CO partial pressure.
The tissue CO production required to raise the tissue $P_{CO}$ to 1 mmHg also can be estimated in a totally independent fashion using the following calculation. Figure 8 shows a schematic diagram of the blood–brain tissue exchange for both $O_2$ and CO. The driving force for $O_2$ tissue uptake is the difference between the average $P_{O_2}^T$ in the capillary blood (about 45 mmHg) and the $P_{O_2}^T$ in the brain tissue (about 5 mmHg), and the driving force for CO leaving the tissue is the difference between the average $P_{CO}^T$ in the tissue (1 mmHg) and the $P_{CO}^B$ in the blood (0.0019 mmHg). Since the complex tissue geometry and diffusion distances are identical for $O_2$ and CO, the CO flux ($J_{CO}$) should be related to the $O_2$ flux ($J_{O_2}$) by the relation:

$$J_{CO} = \frac{K_{CO} (P_{O_2}^T - P_{CO}^B)}{K_{O_2} (P_{O_2}^T - P_{O_2}^B)} J_{O_2}$$

(16)

where $K_{CO}$ and $K_{O_2}$ are the CO and $O_2$ tissue diffusivities, and the ratio ($K_{O_2}/K_{CO}$) is about 1.32. A typical value of human brain oxygen consumption ($J_{O_2}$) is about 120 µm/g/h. Thus, the CO flux $J_{CO}$ from the brain to the blood, ie, the rate of tissue CO production for a $P_{CO}^T$ of 1 mmHg and $P_{CO}^B=0.0019$ mmHg, is about 2,270 nmol/g/h – surprisingly close to the value of 2,200 nmol/g/h estimated using the brain Krogh cylinder model, as described earlier in this section.
Another question that can be examined quantitatively is the time constant for changes in the tissue $P_{CO}$. If, for example, CO was a regulator of arteriolar dilation, then changes in $P_{CO}$ presumably should occur in times of minutes or less. To answer this question, one must solve the general time-dependent equation in cylindrical coordinates:

$$\frac{\partial P(r,t)}{\partial t} = K \frac{\partial^2 P(r,t)}{\partial r^2} + \left( \frac{K}{r} \right) \frac{\partial P(r,t)}{\partial r} + M \quad (17)$$

where $\alpha$ is the CO solubility (Table 1), $K$ is the tissue CO diffusivity, and $M$ is the rate of tissue CO production. This equation depends on tissue heme CO binding and buffering, and the critical factor that accounts for this buffering in Equation 17 is $f$, which is defined as the fraction of the tissue CO that is free (ie, unbound). Assuming that the binding results from a single saturable binding site with concentration $A$ and association constant $K_A$, $f$ is described by:

$$f = \frac{1 + \alpha K_A P(r,t)}{1 + \alpha K_A P(r,t) + K_A A} \quad (18)$$

This model (Equations 17 and 18) will be applied in this discussion to determine the time course of the rise in tissue CO in the rat tail artery model described previously in this section. It will be assumed that at time ($t$) = 0, the CO production is turned on at a rate ($M$) of 2,800 nmol/g cell/h, which, at the steady state, produces the tissue profile described by the blue line in Figure 5. Because smooth muscle has very low Mb concentration,\(^2\) it is assumed that the main CO-binding protein in COX. As discussed in the “Hb and Mb CO binding and pharmacokinetics” section, O\(_2\) and CO are competing for the same binding site in COX, described by Equation 12, so that the apparent $K_A$ for CO will depend on the $P_{O_2}$. In the following calculation, it will be assumed that the tissue $P_{O_2}$ is fixed at 3 mmHg and that the apparent CO $K_A$ is 1 $\mu$M, corresponding to a $K_A$ of 1 $\mu$M\(^{-1}\). The tissue COX concentration (A) will be set at 30 $\mu$M, the value reported for heart muscle.\(^6\) Equations 17 and 18 were numerically integrated to generate the curves shown in Figure 9, which plot the tissue $P_{CO}$ as a function of distance from the blood for times of 10 seconds (black curve), 50 seconds (red curve), 100 seconds (green curve), and infinity (blue curve) after turning on the CO tissue production. It can be seen that for the large rate of production (M = 2,800 nmol/g cell/h) required to raise the steady state tissue $P_{CO}$ to 4 mmHg, the buffering effect is relatively small, and the steady state ($t = \infty$) is reached in about 2 minutes. Thus, for example, CO might be able to regulate arteriolar blood flow on a minute-to-minute time scale if this extremely high rate of tissue CO production could be reached.

**Discussion: does HO function via its release of CO?**

It is surprising that the above question should be raised, given the voluminous literature devoted to HO measurements and CO signaling. However, as discussed in this review, the available data do not provide clear-cut evidence that CO serves as the intracellular effector of HO activity in normally functioning tissue. The modulation of HO-1 activity that has been observed in nearly every tissue studied strongly suggests that this enzyme must have an important regulatory role in cell physiology. As emphasized in the “Introduction” section, HO has three other functions besides CO production: 1) catabolism of heme, 2) recycling of Fe\(^{2+}\), and 3) production of the anti-oxidant bilirubin. The factors that induce HO-1 are primarily events that tend to produce apoptosis or cell death, such as oxidative stress, heat shock, ischemia, radiation, hypoxia, or hyperoxia, all of which would be expected to increase heme turnover, with a consequent need for increased HO. In the great majority of studies,\(^4\) the question of the effector associated with this HO induction is simply ignored. Rather, HO modulation is regarded as the central event, and CO is assumed to be the mediator of HO activity. Rarely discussed are important quantitative physiological questions concerning this pathway, such as the tissue $P_{CO}$ required for the biological effect, the rate of tissue CO production, the identity of the CO receptor, and the influence.
of diffusion from tissue to blood on intracellular CO. These questions are the focus of this review.

The belief in CO as the mediator of HO activity is primarily based on the observations that CO is produced by tissue and that CO exposure alters tissue function in both in vitro and in vivo experiments. As discussed in the “HO activity, heme substrate concentration, and the endogenous rate of CO tissue production” section, CO released during the routine turnover of Hb, hepatic heme, or other heme proteins (eg, muscle Mb) can readily account for the total daily CO production (about 0.5 mmol) of normal subjects. Thus, there is no need to teleologically hypothesize a useful function for CO, eg, intracellular signaling, simply based on CO production in the body. While it is not possible to exclude the possibility that a small fraction of CO is produced as a messenger, this production must be very small, ranging from 0%-7.5% of total production, or a maximal rate of 0.02 nmol/g/h (previously defined as MaxCO). To put this value of MaxCO in perspective, a tissue production rate of 100× MaxCO will only raise tissue P$_{CO}$ to 0.0028 mmHg (using the brain Krogh cylinder model, discussed in the “Quantitative modeling of the steady state and time-dependent tissue CO in the presence of the blood sink” section), less than twice the plasma P$_{CO}$ and far below the level required for any known CO signaling mechanism.

The reported rates of “physiological” endogenous CO production by a variety of tissue preparations are surprisingly large, 400 to 170,000× greater than MaxCO (Table 2). These clearly cannot represent the daily average rate of CO production of these tissues. For example, if the relative low reported rate of 10 nmol/g/day for astrocytes and olfactory neurons were representative of brain tissue, then the human brain (weighing 1.5 kg) would produce 0.35 mmol/day, 70% of the daily total human CO output, which is far in excess (10×) the maximal total CO possibly available for signaling in humans. One possible explanation for these high CO production rates measured in vitro is that the supposedly physiological experimental tissue conditions actually induce some cell damage, increasing the heme substrate concentration for HO.

Even though these CO production rates cannot represent average daily rates, production in highly localized tissue regions for short time periods could create very high local CO production rates that could trigger second messenger effects. The crucial experimental evidence to support a messenger function for CO would be the demonstration that intracellular CO production is capable of raising the cellular CO concentration to a level that is known to alter cell function. Not commonly considered is the extent to which rapid diffusion of CO from cells to blood limits such increases in intracellular CO concentration. As discussed in the “Specific CO sensors or receptors” section, the most sensitive specific CO receptor-mediated function is the dilatation of the piglet pial artery, which responds to an experimental P$_{CO}$ of as low as 0.1 mmHg (presumably via activation of the BK$_{Ca}$ channel receptor). However, as shown in the “Quantitative modeling of the steady state and time-dependent tissue CO in the presence of the blood sink” section, because of the short diffusion distances between the arteriole wall and luminal blood, even the relatively high experimental in vitro pial arteriolar production rate of 140 nmol/g/h can only raise the tissue CO concentration to a maximum P$_{CO}$ of 0.0025 mmHg. This is only 30% greater than the blood P$_{CO}$ (0.0019 mmHg), and 40-fold less than the 0.1 mmHg, required for the minimal arteriolar dilation observed with exogenous CO administration. In order to raise the tissue piglet artery P$_{CO}$ to 0.1 mmHg, given the rapid diffusion of CO into blood, requires rates of tissue CO production that are 100× the experimentally observed maximum tissue production rate (Figure 4).

If uptake by blood renders endogenous CO release grossly insufficient to serve as an effector in the most CO-responsive tissue, it seems necessary to reconsider the concept that CO acts as a tissue messenger, as nitric oxide does, in normally perfused tissue. The possibility remains that a CO regulatory mechanism might become important under conditions in which the blood sink is disabled, ie, conditions with significantly decreased blood flow. For example, piglets’ brain CO production (as estimated from changes in cerebral spinal fluid CO) was acutely increased by a factor of 2.3 in response to hypotension, an increase that would not be expected to cause a rise in cellular CO sufficient to induce vascular dilatation if tissue perfusion remained normal. However, the combination of this relatively modest increase in CO production with poor perfusion could appreciably increase intracellular CO. Although entirely speculative, this CO might serve as an autoregulatory factor, acting only when blood flow has dropped to low enough levels that the perfusing blood ceases to act as a CO sink.

The failure to clearly identify specific CO receptor mechanism(s) has re-directed attention to the possibility that CO acts relatively non-specifically via its binding to and inhibition of COX. As discussed in the “COX binding and ROS formation” section, concentrations of CO of as low as 10 ppm (0.0076 mmHg) have been shown to increase ROS production secondary to COX inhibition. Thus, ROS production is by far the most sensitive potential CO signaling
mechanism described to date, and this mechanism has been
invoked as the explanation for the multiple physiological
alterations observed with in vivo, low-dose CO exposure. For
example, inhaled CO of 25–250 ppm for 1 hour/day, 3 days/
week for 10 weeks produces statistically significant decreases
in vascular inflammation in a sickle cell mouse model. A
similar regimen of inhaled 250 ppm CO for 1 hour/day
has been shown to have an amazing variety of other effects
such as reducing the rate of growth of a prostatic tumor cell
line in nude mice, reducing pulmonary hypertension in
rats, improving myeloid cell engraftment, and enhancing
liver regeneration. This evidence suggests that this short
exposure to CO and subsequent ROS production turns on
a variety of downstream processes that can have profound
physiological effects. As discussed in the “COX binding and
ROS formation” section, because CO and O₂ are compet-
ing for the same CO binding site, the rate of CO-induced
COX ROS production should be critically dependent on
the effective pO₂. This might provide some specificity to
low-dose whole animal CO administration – directing it to
anoxic tissue regions such as tumors (eg, action of inhaled
CO on prostatic tumors) or regions where red cell sickling
occurs (eg, action of inhaled CO on vascular inflammation
in a sickle cell mouse model).

These actions of a relatively low dose of CO exposure on
COX ROS production are dramatic and raise the possibility
that they reflect normal physiological control systems invol-
ving the endogenous release of CO via HO enzyme activity.
However, it remains to be shown that endogenous CO produc-
tion can raise tissue P_CO to the required levels. Raising tissue
P_CO to 10 ppm (0.0076 mmHg), which is only 4× the normal
blood P_CO and is the lowest concentration for which a biologi-
ical effect has been reported, requires a tissue CO production
rate of about 13 nmol/g/h (using the brain Krogh cylinder
model, discussed in the “Quantitative modeling of the steady
state and time-dependent tissue CO in the presence of the
blood sink” section). This endogenous rate of CO production
seems feasible, because it is only 1.3× the CO production rate
that has been reported for maximally stimulated astrocytes
and olfactory receptor neurons (Table 2). However, the total
body CO balance analysis (as discussed in the “HO activity,
heme substrate concentration, and the endogenous rate of CO
tissue production” section) places strong constraints on the
normal spatial and temporal distribution of these enhanced
rates. This rate of 13 nmol/g/h is 650× the maximum pos-
sible average signaling rate of CO production for the entire
body (MaxCO). Only 93 g of tissue producing CO at this rate
would account for our maximal estimate of total human CO
production that might serve a signaling function. However,
an important proviso of this CO balance analysis is that it is
based on the average normal rate of total body CO pro-
duction. The pathological conditions associated with HO-1
induction, such as oxidative stress, heat shock, ischemia,
radiation, hypoxia, or hyperoxia would be expected to pro-
duce increased cell death, with a corresponding increased
heme turnover and CO production. Just a 20% increase in
total body CO produced via such a mechanism would cor-
respond to a 370% increase in the CO production that might
serve a signaling function. Support for this hypothesis would
be provided by measurements showing increased total body
CO production under stress conditions.

As discussed above, endogenous CO production could
raise tissue CO to the levels that are produced by exogenous
administration of 10 ppm CO, but it seems much less likely
that endogenous CO production could mimic the tissue
concentrations resulting from the 250 ppm inhaled CO that
has become a staple of experimental whole animal studies.
In mice, at the end of 1 hour dosing with 250 ppm inhaled
CO, the plasma (and tissue) P_CO should have reached a value
of about 200 mmHg (as described in the “Hb and Mb CO
binding and pharmacokinetics” section), which requires a
350 nmol/g/h rate of CO production, significantly larger
than most of the reported tissue rates (Table 2). Just 100 g
of tissue producing CO at this rate will produce 35 μmol/h
of CO, twice the normal total human CO production rate,
tripling the normal human CO excretion rate. Such levels
of CO excretion have only been reported in patients with
hemolysis.

In summary, we utilized the uniquely non-metabolizable
nature of CO to quantitatively model the endogenous CO
production required to achieve various intracellular CO
concentrations, given the rapid diffusion of CO from cell to
blood. This modeling suggests that under normally perfused
conditions, intracellular CO production is seemingly insuf-
ficient to induce the specific second messenger functions
that have been attributed to CO in healthy tissue. However,
it is also clear that exogenous CO administration can induce
multiple physiological effects. The effector in these studies
is thought to be ROS, released secondary to CO-induced
inhibition of COX. Whether such effects can be considered
a “signaling” system, as opposed to a non-specific response
to cell injury, is uncertain. Our calculations suggest that
endogenous CO production is insufficient to induce the
cellular CO concentrations achieved in the usual 250 ppm
CO inhalation study. However, a few studies have shown
that ROS production and alteration of tissue function can
be produced by exposure to as low as 10 ppm CO. Since this low-dose CO exposure produces cellular CO concentrations that might be achieved via endogenous production, such ROS release appears to provide the most plausible mechanism by which CO could provide an intracellular messenger function.

Disclosure
The authors report no conflicts of interest in this work.

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